

# System modeling and simulation (ME340)

## Chapter 1. Introduction

### 1.1 Concept of modeling and simulation

邹渊

Yuan Zou

Tel: 68944115

[Email: zouyuan@bit.edu.cn](mailto:zouyuan@bit.edu.cn)

# before this class...

- Course website:

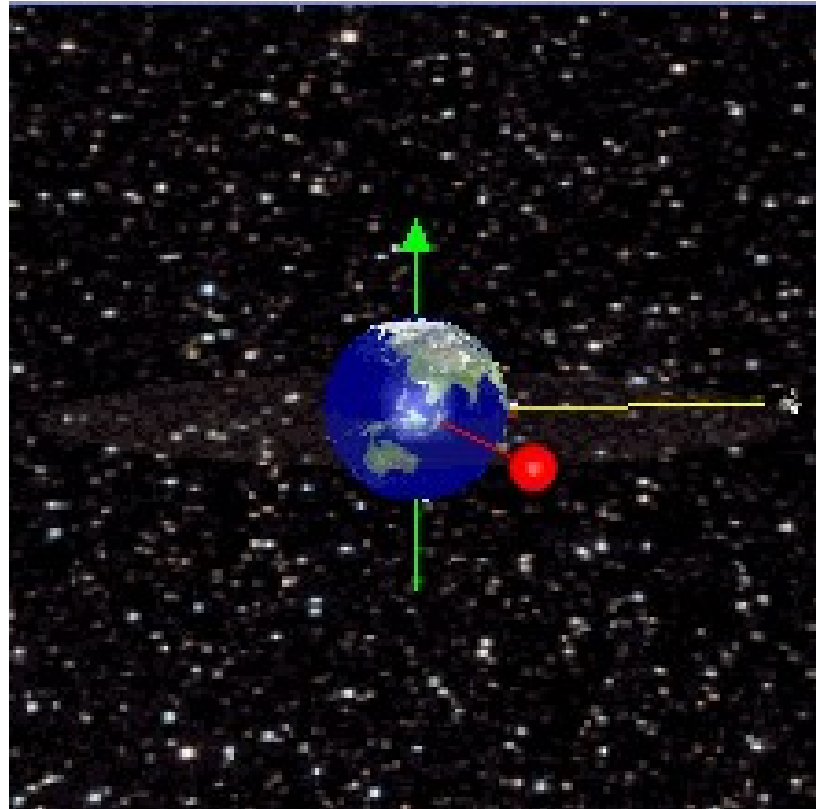
<http://www.nev-dsc.com/me3040-modeling-and-simulation-of-system-system-dynamics-for-undergraduates/>

All the slides will be uploaded here.

- A laptop with Matlab software is suggested.
- Material reading is required.
- More information is available in syllabus.

# System?

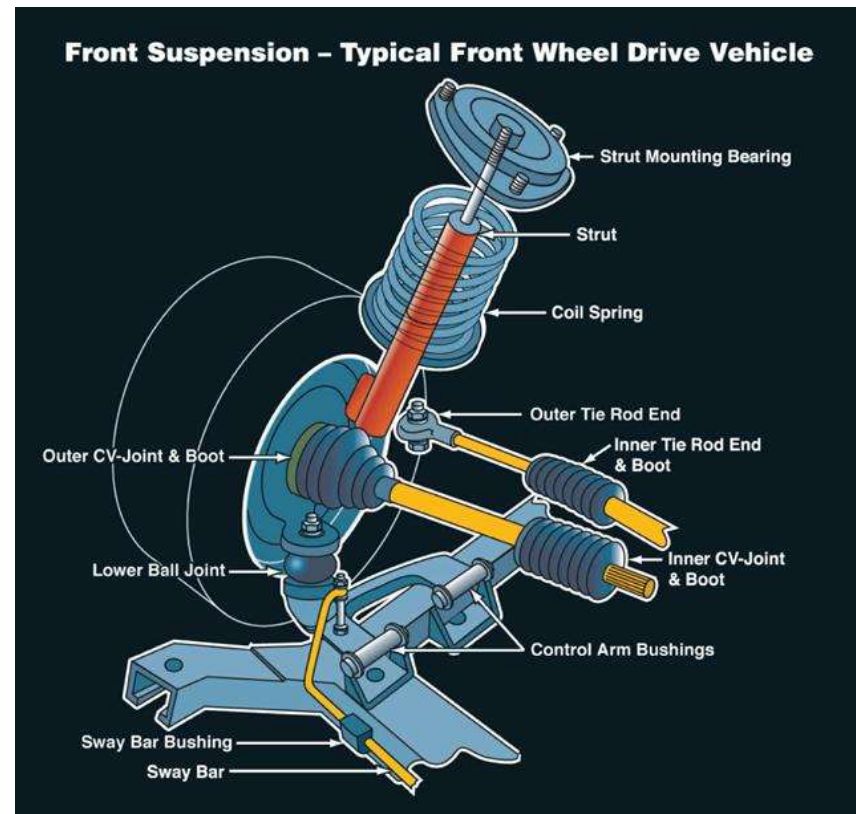
- Always remains in the sky above the earth same area
- How does it work?



Geostationary satellite

# System?

- How is the vibration introduced ?
- Can we control the vibration to make the passenger feel better?
- What part or property contribute most to the human's feeling?



Car's suspension

# System?

- Many DOFs.
- How does it work if the electric motor rotates at the different speed?



Robot arm

# Compare? Contrast?

- Could we summarize some common characteristic of the above system?
- A kind of combination of components;
- A kind of combination of processes;
- Different physical phenomena;
- Different sizes;
- Different speeds;
- .....

# *System definition*

- Vague due to overuse
- A **system** is a set of interacting or interdependent components forming an integrated whole<sup>[1]</sup> or a set of elements (often called '*components*' ) and relationships which are different from relationships of the set or its elements to other elements or sets.
- Combination of elements intended to act together to accomplish an objective.

# Example

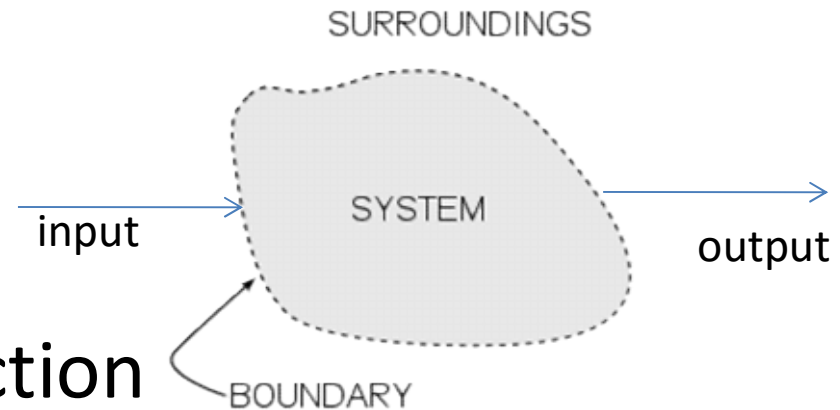


- Bicycle is a system
- Bicycle chain: One link is not system, but a chain is.
- Subsystems
- Interaction between subsystems
- System point of view



# Input and output

- Cause and effect  
Pedal-> Acceleration  
Steering Angle->direction



- System behavior- input-output relationship
- Boundary- Define inside and outside
- Input-output always reversible? Acceleration and velocity?

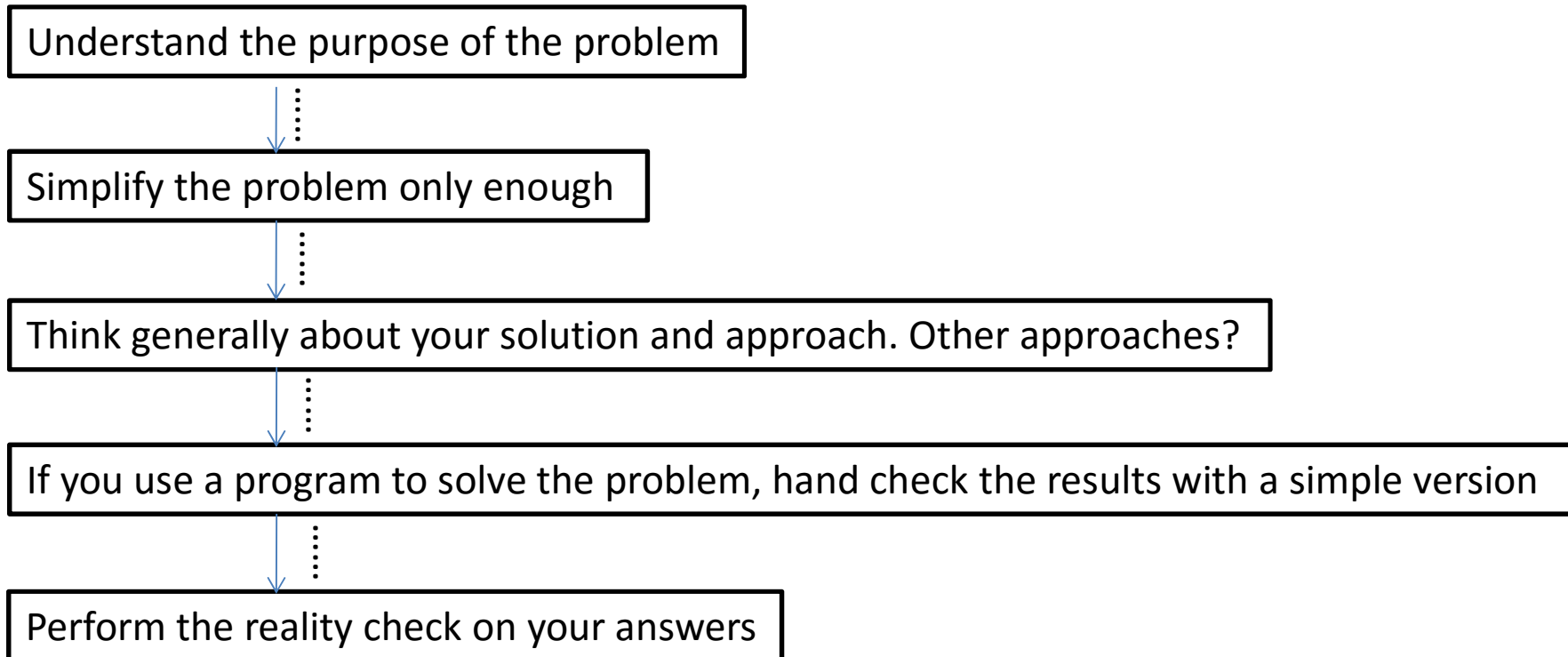
# Static and dynamic elements

- Static element (Simplification)  
Present output depends on current input
- Dynamic element  
Present output depends on past input

# Modeling a system

- *Modeling:*
  - Simplifying the problem sufficiently and applying the appropriate fundamental principles
- Mathematical model

# Steps in an engineering problem solving



# Why control involved?

- Often Dynamic systems require a control system
- Why: DYNAMIC
- Without control system, people will afford that task. (bad and unexpected)

# Computer method

- There are different mathematical issues in system modeling and simulation. Many algorithms to solve the different mathematical equations has been developed, such as Matlab.
- This course is Matlab-based.

# Home work 1.1

- Find the system interesting you and try to define the boundary, input and output.
- Describe another example of integral causality and explain why cause-effect relationship is not reversible.

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### 1.2 Matlab-based modeling case

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# Matlab \*.m basic usage

- **a=3;**
- **eps; Inf;**
- **NaN;pi;lasterr;lastwarn**
- **A=[1 2 3;4 5 6;7 8 9];**
- **B=[1 2 3;4 5 6;7 8 9]**
- **A=[A;[1,3,4]]**
- **A=0:0.1:6**
- **Structure: .**
- **Cell: {}**
- **C=A\*B**
- **C=A.\*B**
- **C=fliplr(C)**
- **C=flipud(C)**
- **C=rot90(A)**
- **C=C'**
- **A^2**
- **A.^2**
- **A.^A**
- **a+A**
- **A&B;**
- **A|B**
- **~A**
- **Xor(A,B)**
- **A>5**
- **A>B**
- **find(A=1)**
- **floor;**
- **ceil;**
- **round;**
- **fix**

# Process control function (1)

- for Var=Vect

Argument

end

Example:  $1+2+\dots+100$

- If Var

Argument

end

# Process control function (2)

```
switch Var  
case 1 expression1  
argument1  
case 2 expression2  
argument2  
....  
Otherwise  
argument  
end
```

```
try  
argument1  
catch  
argument2  
end
```

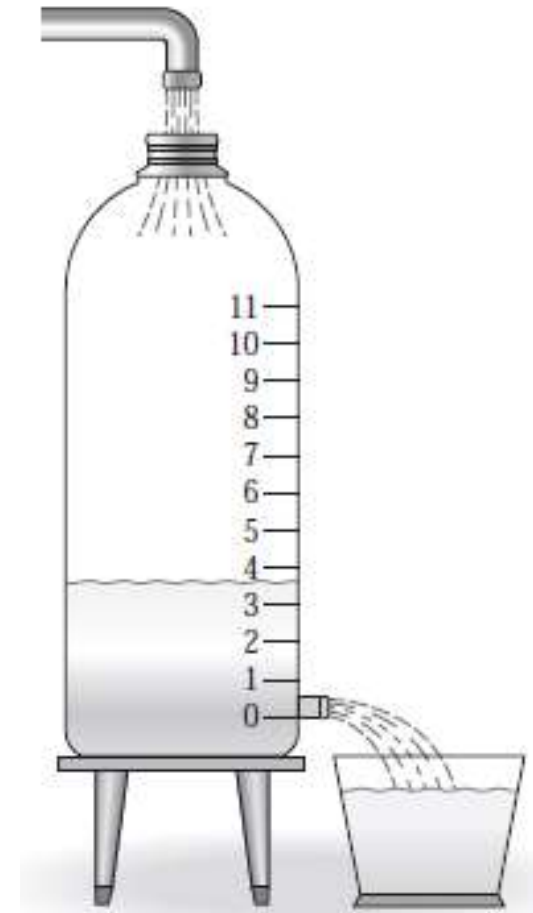
# function invoke

- `function [out1, out2]=func(in1,in2,in3)`
- `nargin`—  
自动生成函数内部变量，函数输入量
- `Nargout`  
返回变量实际个数

# Orifice flow

While adjusting the tap flow to keep the water height constant, the time for the overflow to fill a 250 ml cup was measured. The data are shown as the following table.

Height  $h$  (cm): 11 10 9 8 7 6 5 4 3 2 1  
Time  $t$  (s): 7, 7.5, 8, 8.5, 9, 9.5, 11, 12, 14, 19, 26



# Temperature dynamics of water

## Problem:

Water in a glass measuring cup was allowed to cool after being heated to 204°F. The ambient air temperature was 70°F. The measured water temperature at various times is given in the following table.

Time (sec)	0	120	240	360	480	600
Temperature (°F)	204	191	178	169	160	153

Time (sec)	720	840	960	1080	1200
Temperature (°F)	147	141	137	132	127

Obtain a functional description of the water temperature versus time.

# Home work 1.2

- Reading Chapter 1, especially chapter 1.3-1.6
- Problem 1.39
- Problem 1.41
- Problem 1.43
- Problem 1.48